CLASS 11 | PHYSICS



(C)

CHAPTER-6 | Systems of Particles and Rotational Motion

QUIZ **PART-05**

rotational analogue of Newton's second law?

rotation as force in linear motion, moment of

6. Which of the following is the correct

Explanation: Torque plays the same role in

inertia corresponds to mass, and angular

7. A solid disc of mass 10 kg and radius 1 m has

its radius of gyration (about the central axis)

acceleration corresponds to linear

- 1. A girl is sitting on a rotating chair with her arms stretched out. When she folds her arms close to her body, her angular velocity will:
 - A. Increase

- B. Decrease
- C. Remain unchanged
- D. Become zero

(A)

- **Explanation**: Angular momentum is conserved $(L = I\omega)$. When arms are folded, moment of inertia decreases, so angular velocity increases to keep L constant.
- 2. The radius of gyration (k) is defined such that:
 - A. k = I/MC. $k = \sqrt{(IM)}$

inertia.

- B. $I = Mk^2$
- D. k = M/I
- (B)

(C)

(B)

B. 0.707 m

B. L = ω

D. p = mv

D. 1.732 m

C. 1 m (B) **Explanation**: Radius of gyration is the **Explanation**: For a solid disc, $I = \frac{1}{2}Mr^2$. Thus, k =equivalent distance from the axis where the $\sqrt{(I/M)} = \sqrt{(r^2/2)} = r/\sqrt{2} = 0.707 \text{ m}.$

- entire mass can be assumed to be 8. Which one is the correct equation of motion concentrated to yield the same moment of in rotational dynamics?
 - A. $\omega^2 = \omega_0^2 + 2as$
- B. $\theta = \omega_0 t + \frac{1}{2}\alpha t^2$
- C. v = u + at

A. F = ma

acceleration.

equal to:

A. 1.414 m

 $C. \tau = I\alpha$

D. $s = ut + \frac{1}{2}at^2$

Explanation: This is the rotational analogue of $s = ut + \frac{1}{2}at^{2}$.

- 9. If torque acting on a system is zero, then angular momentum will:
 - A. Increase linearly with time
 - B. Decrease linearly with time
 - C. Remain constant.
 - D. Become zero
- **Explanation**: Zero torque implies no change in angular momentum, so it stays constant.
- 10. Which of the following pairs correctly matches linear and rotational quantities?
 - A. Displacement [↔] Torque
 - B. Velocity (↔) Angular displacement
 - C. Force \(\operatorname{\oper
- D. Momentum (++) Angular momentum (D)
- **Explanation**: Linear momentum (p = mv) corresponds to angular momentum (L = $I\omega$) in rotational motion.

- 3. The radius of gyration depends on:
 - A. The total mass of the body only
 - B. The shape and density of the body only
 - C. The position of the axis and mass distribution
 - D. Neither axis nor distribution
- **Explanation**: Radius of gyration is influenced by how the mass is spread relative to the axis, not by the total mass itself.
- 4. Work done in rotational motion can be expressed as:
 - A. $W = F \cdot d$

B. W = $\tau\theta$

C. W = $\tau \omega$

- D. W = ω^2
- **Explanation**: Work in rotation is the product of torque and angular displacement.
- 5. Power in rotational motion is given by:
 - A. $P = \tau \omega$ B. P = FvC. P = $I\alpha$
- - D. $P = I \omega$
- **Explanation**: Power is the rate of work done. In rotational dynamics, it is torque multiplied by angular velocity.