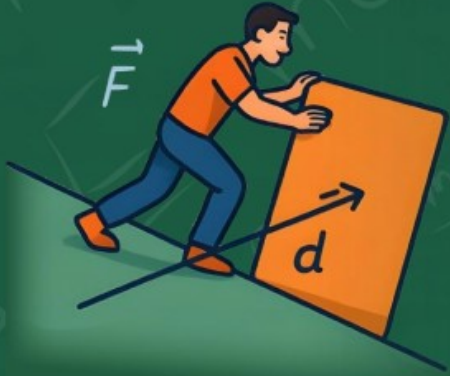


$$W = Fd$$



WORK

$$P = \frac{W}{t}$$

ENERGY



POWER



CLASS - 11

PHYSICS

Chapter - 5

Work, Energy and Power

Part - 2

Energy

Alok Gaur

OVERVIEW



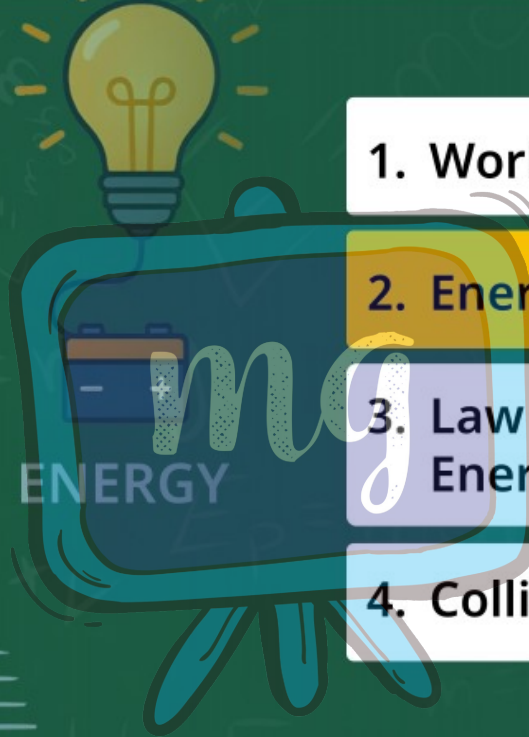
WORK

$$P = \frac{W}{t}$$

ENERGY



POWER



1. Work

2. Energy

3. Law of Conservation of Mechanical Energy and Power

4. Collision

ENERGY

Capacity of
doing work

Energy is a body is defined as it's
capacity to do work.

▣ The Energy of a body is measured
by the amount of work the body can
perform.

▣ Energy is Scalar Quantity.

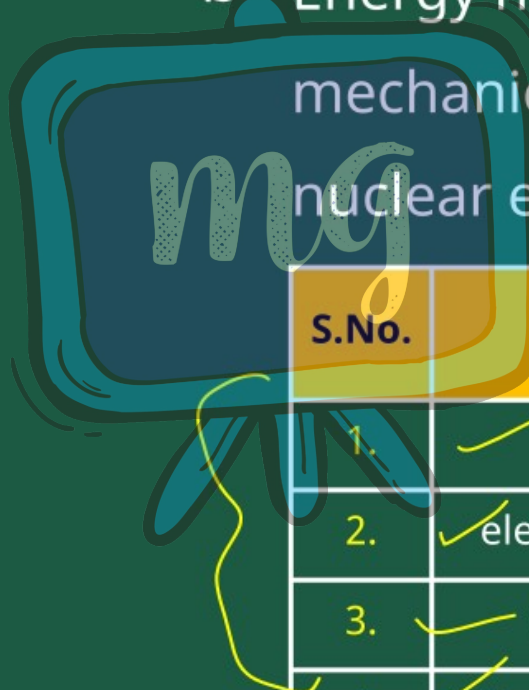
▣ Unit : In M.K.S. = Joule

In C.G.S. = Erg.

Dimension : $[M^1 L^2 T^{-2}]$

Energy has several forms :

mechanical energy, sound energy,
nuclear energy etc.



S.No.	Unit	Symbol	Value in S.I.
1.	erg	erg	$10^{-7} J$
2.	electron volt	ev	$1.6 \times 10^{-19} J$
3.	calorie	cal	4.18 J
4.	Kilowatt Hours	kwh	$3.6 \times 10^6 J$

KINETIC ENERGY

The Energy possessed by a body by virtue of its motion is called its kinetic energy.

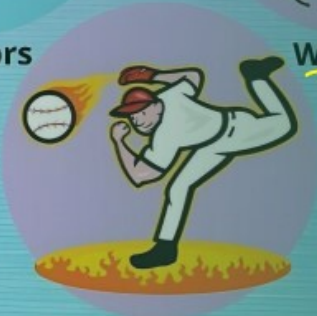
Falling This is measured by work done to move a body from rest.



Meteors



Walking

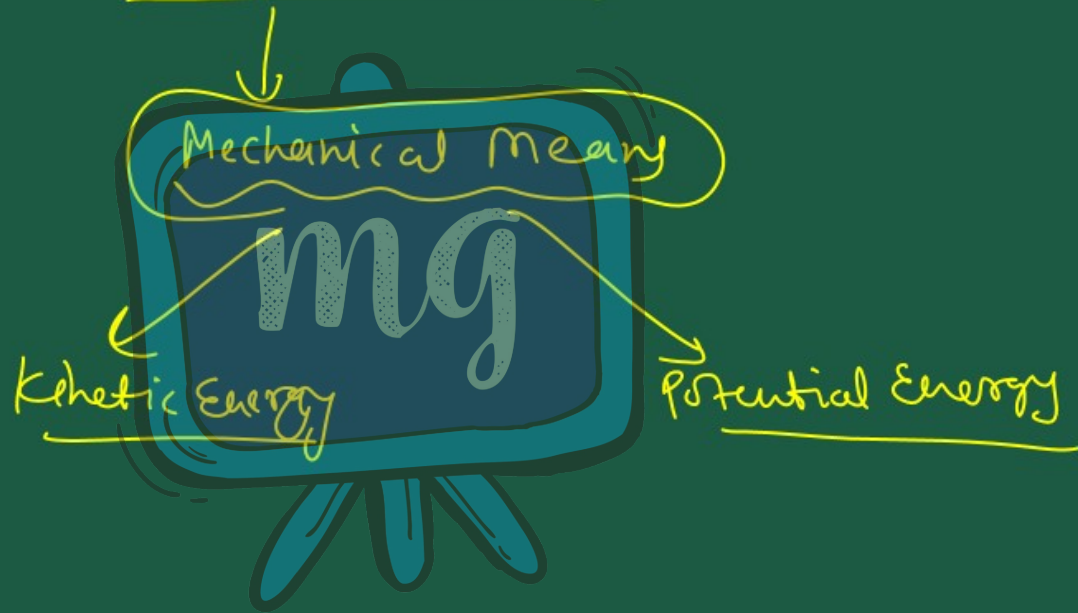


Throwing a ball



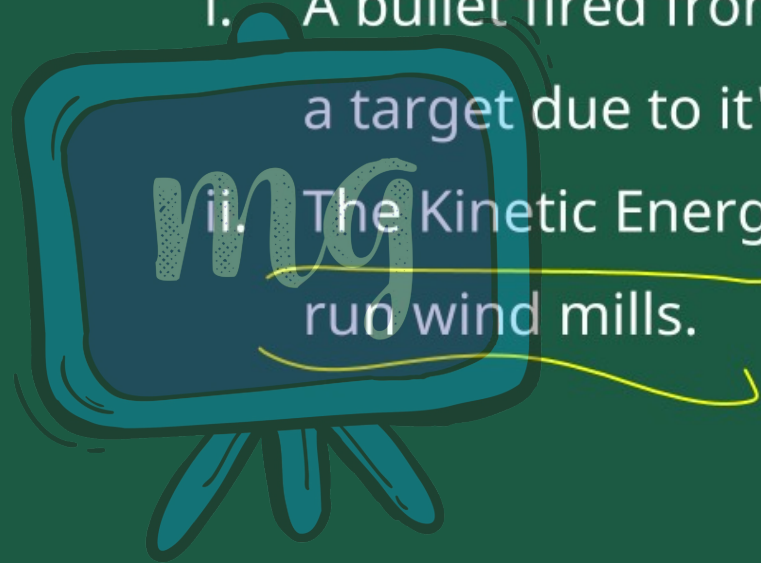
Flying airplane

Mechanical Energy



Example :

- i. A bullet fired from a gun can pierce a target due to it's Kinetic Energy.
- ii. The Kinetic Energy of air is used to run wind mills.



From Newton's Third Law

$v^2 - u^2 = 2as$

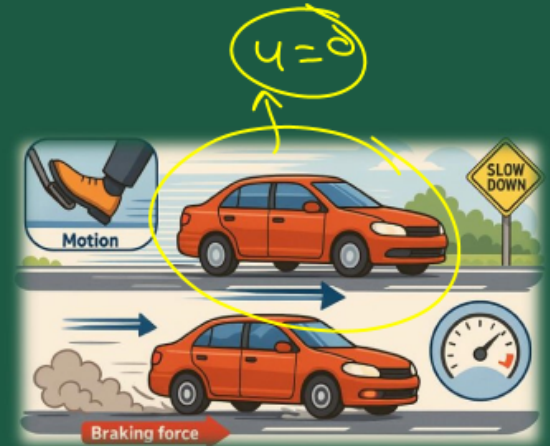
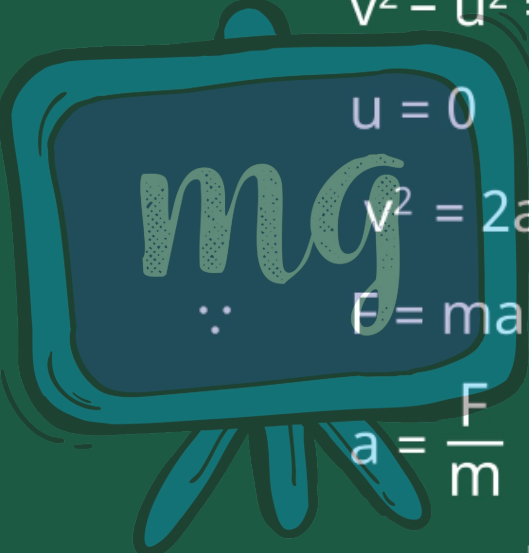
$u = 0$

$v^2 = 2as$

$\therefore F = ma$

$a = \frac{F}{m}$

$v^2 = 2 \frac{F}{m} s$



$F = ma$

$u = 0$

v

s

$W = F s$ by III k.E

$W = mas$ $v^2 = u^2 + 2as$

$W = ma \left(\frac{v^2}{2a} \right)$ $v^2 = 2as$

$S = \frac{v^2}{2a}$

$W = \frac{1}{2} mv^2$

$k.E = \frac{1}{2} mv^2$

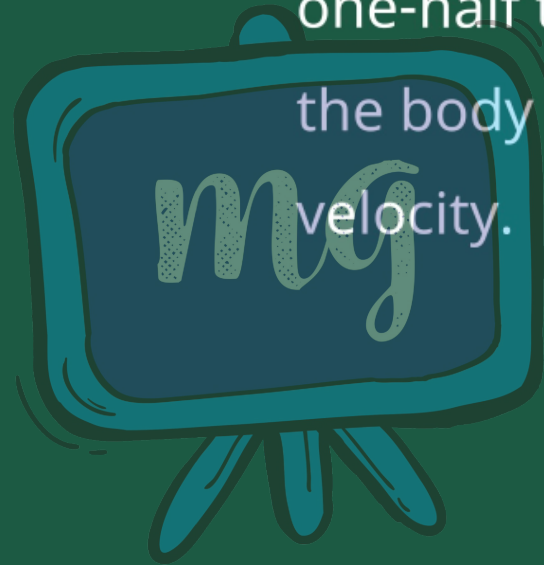
$$\frac{1}{2}mv^2 = FS$$

$W = \frac{1}{2}mv^2$

$W = \text{K.E.}$

$\text{K.E.} = \frac{1}{2}mv^2$

- ▮ Kinetic Energy of a body is equal to one-half the product of the mass of the body and the square of it's velocity.



RELATION BETWEEN K.E. AND LINEAR MOMENTUM

$$p = mv$$

$$K.E = \frac{1}{2}mv^2$$

$$= \frac{1}{2} \frac{m^2 v^2}{m}$$

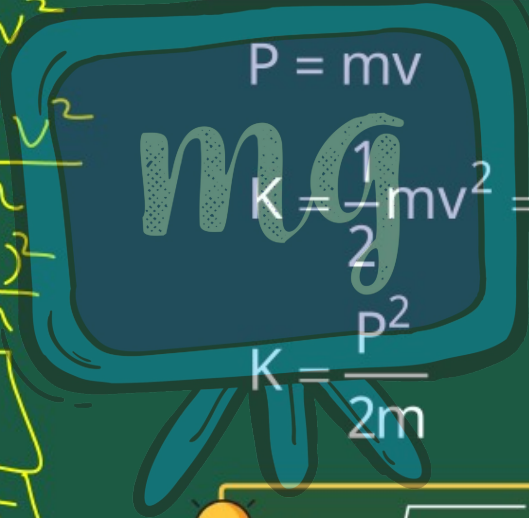
$$= \frac{(mv)^2}{2m}$$

Q. →

→

→

$$K.E = \frac{p^2}{2m}$$
$$p = \sqrt{2mK.E}$$



$$K = \frac{1}{2}mv^2 = \frac{1}{2m}(m^2 v^2) = \frac{1}{2m}(mv)^2$$

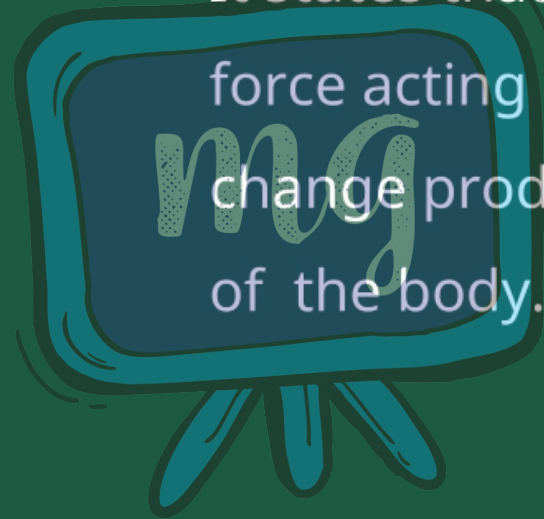
$$K = \frac{p^2}{2m}$$

💡

$$p = \sqrt{2mk}$$

WORK ENERGY THEOREM

It states that the work done by the net force acting on a body is equal to the change produced in the kinetic energy of the body.



$F = ma$

u v

m

s

$W = Fs$

$W = mas$

$W = mg \left[\frac{v^2 - u^2}{2g} \right]$

$W = \left(\frac{1}{2}mv^2 \right) - \frac{1}{2}mu^2$

$W = K_f - K_i$

by III K.E

$v^2 = u^2 + 2as$

$s = \frac{v^2 - u^2}{2a}$

$W = \Delta K$


From Newton's Third Law

$$v^2 - u^2 = 2as$$

$$v^2 = 2 \frac{F}{m} s$$

$$\frac{1}{2} m(v^2 - u^2) = FS$$

$$W = \frac{1}{2} mv^2 - \frac{1}{2} mu^2$$


$$W = K_f - K_i$$

Change in K.E. of the body = Work
done on the body by the next force



POTENTIAL ENERGY

Stored Energy



Potential energy is the energy stored in a body or a system by virtue of its position in a field of force or by its configuration.

Example : The potential energy of water stored to great heights in dams is used to run turbines for generating hydroelectricity.

DIFFERENT TYPES OF POTENTIAL ENERGY



▮ Gravitational Potential Energy

💡 $U = mgh$

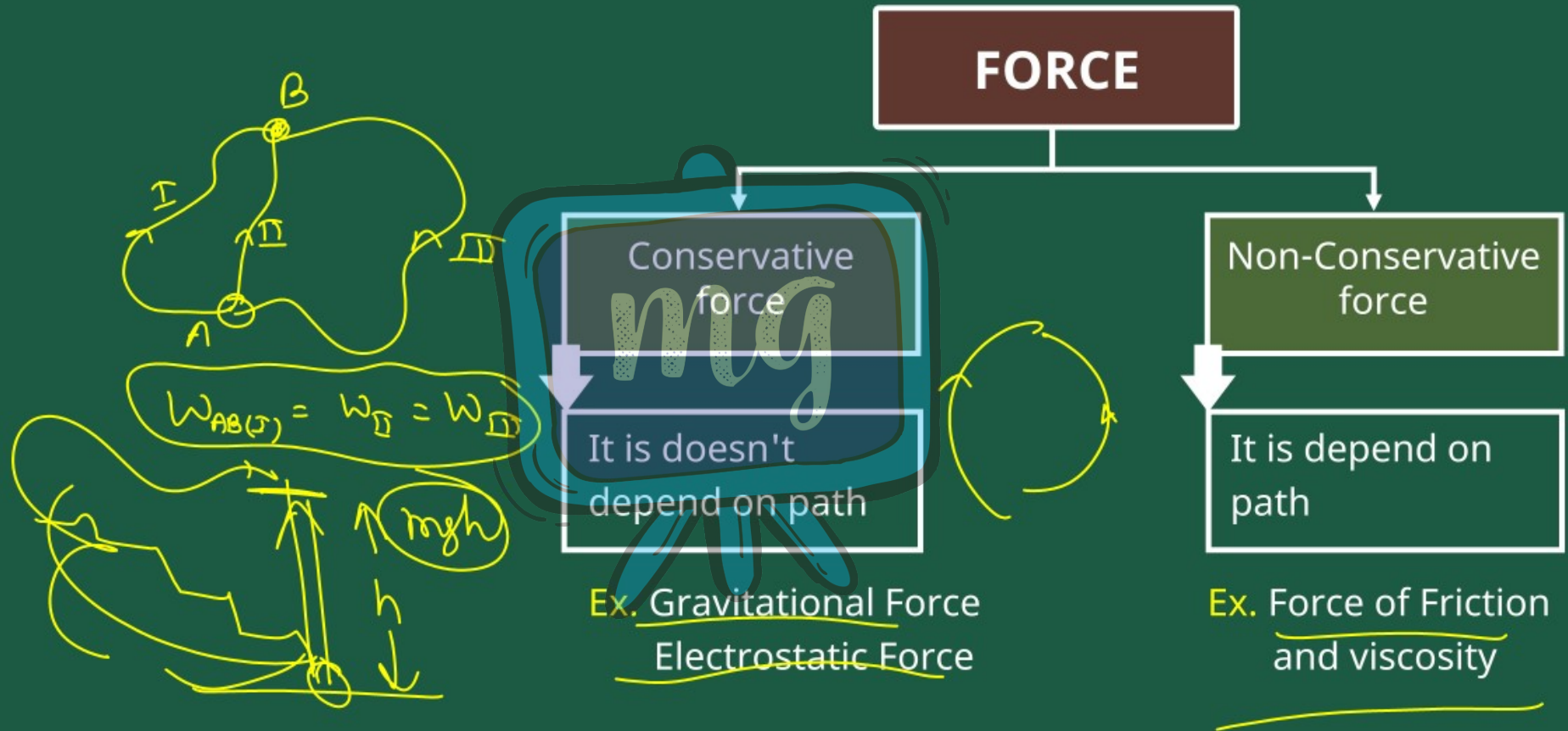
▮ Elastic Potential Energy

💡 $E = \frac{1}{2}kx^2$

▮ Electrostatic Potential Energy

💡 $P.E. = \frac{KQ_1Q_2}{r}$





POTENTIAL ENERGY IN RELATION TO CONSERVATIVE FORCE

The character's screen displays the text **mg**. Surrounding the character are several mathematical equations:

- Top left: $W = \int_{x_1}^{x_2} F dx$
- Left side: $\Delta U = - \int_{x_1}^{x_2} F dx$ (circled in yellow)
- Top right: $\Delta U = -W$
- Middle right: $W = \int_{x_i}^{x_f} F(x) dx$
- Bottom right: $\Delta U = \int_{x_i}^{x_f} F(x) dx$ (with two yellow double lines underneath)

difference the above equation we get

$$F = -\frac{dU}{dx}$$

$$\frac{dU(x)}{dx} = -F(x)$$

$$dU = -F dx$$

$$U = -\int F dx$$

$$F(x) = -\frac{dU}{dx}(x)$$

Special :

$$v^2 = u^2 + 2as$$

$$a = g, s = h$$

$$v^2 = u^2 + 2gh$$

$$u = 0$$

$$v^2 = 2gh$$

$$v = \sqrt{2gh}$$

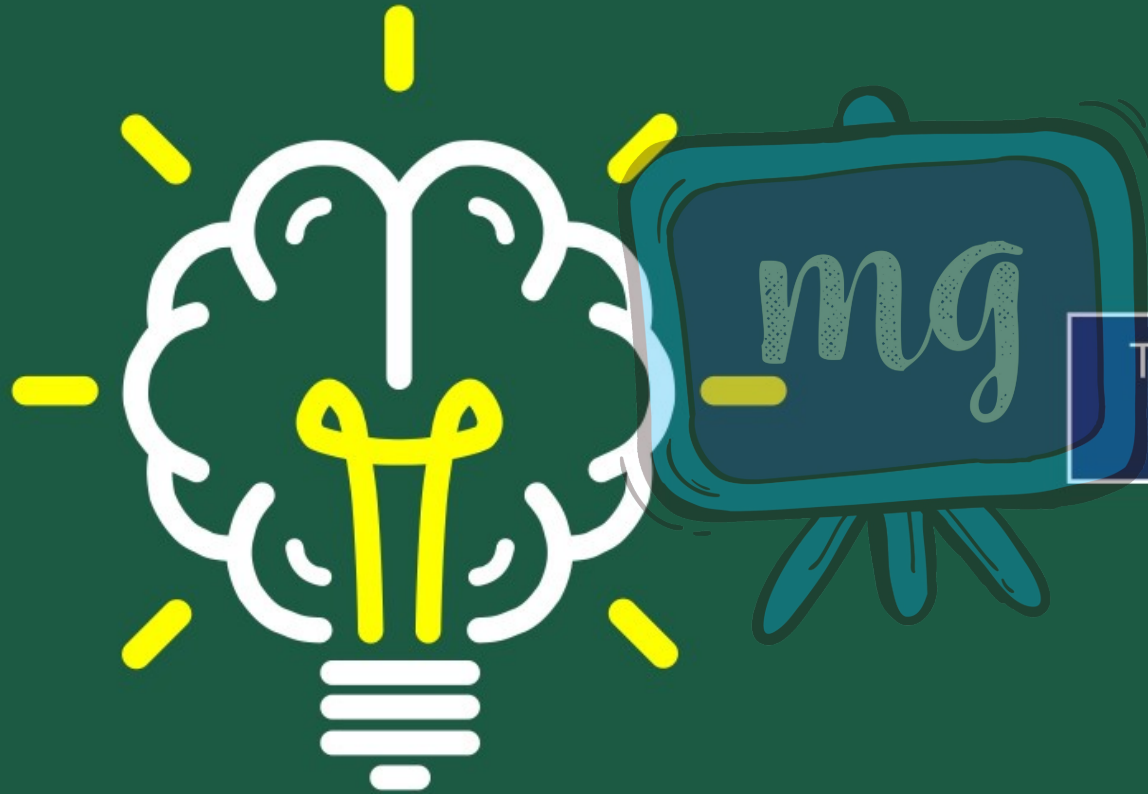


$$\therefore \text{K.E.} = \frac{1}{2}mv^2$$

$$\text{K.E.} = \frac{1}{2}m(\sqrt{2gh})^2$$

$$\text{K.E.} = mgh$$

K.E. = work done by the
gravitational force



To study for kinetic and
potential energy



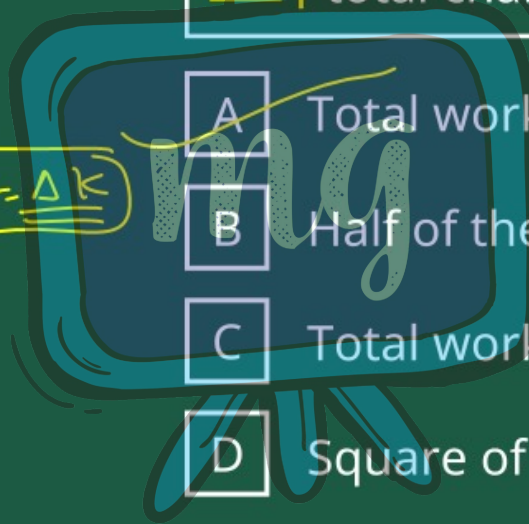
1 | Mechanical energy is

- A Equal to the rate of doing work
- B The sum of kinetic energy and the potential energy of an object
- C The energy released during mechanical work
- D The energy absorbed movement of a body.

2 | According to the work-energy theorem, total change in energy is equal to the—

- A Total work done
- B Half of the total work done
- C Total work done added with frictional force
- D Square of the total work done

$W = \Delta K$





3 | Work energy theorem is valid-

- A Only in the presence of an external force
- B Only in the presence of an internal force
- C Only in the presence of an conservative force
- D For all type forces